

# Emerging Security Revolution as a Response to the Quantum Mechanics Threats

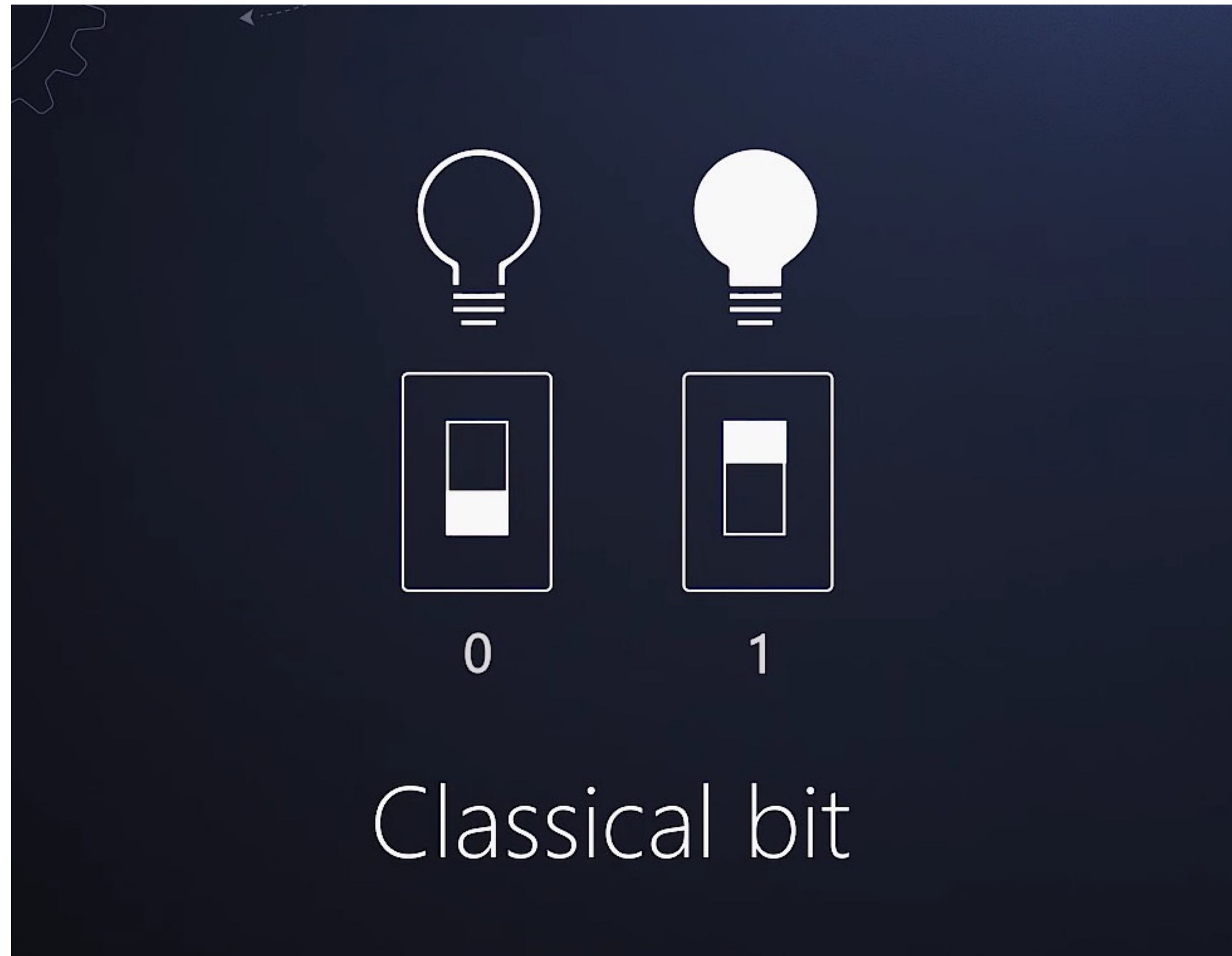
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**Tomáš Rosa, Ph.D.**

Cryptology and Biometrics Competence Centre & Quantum Computations Innovation Lab  
Raiffeisen BANK International

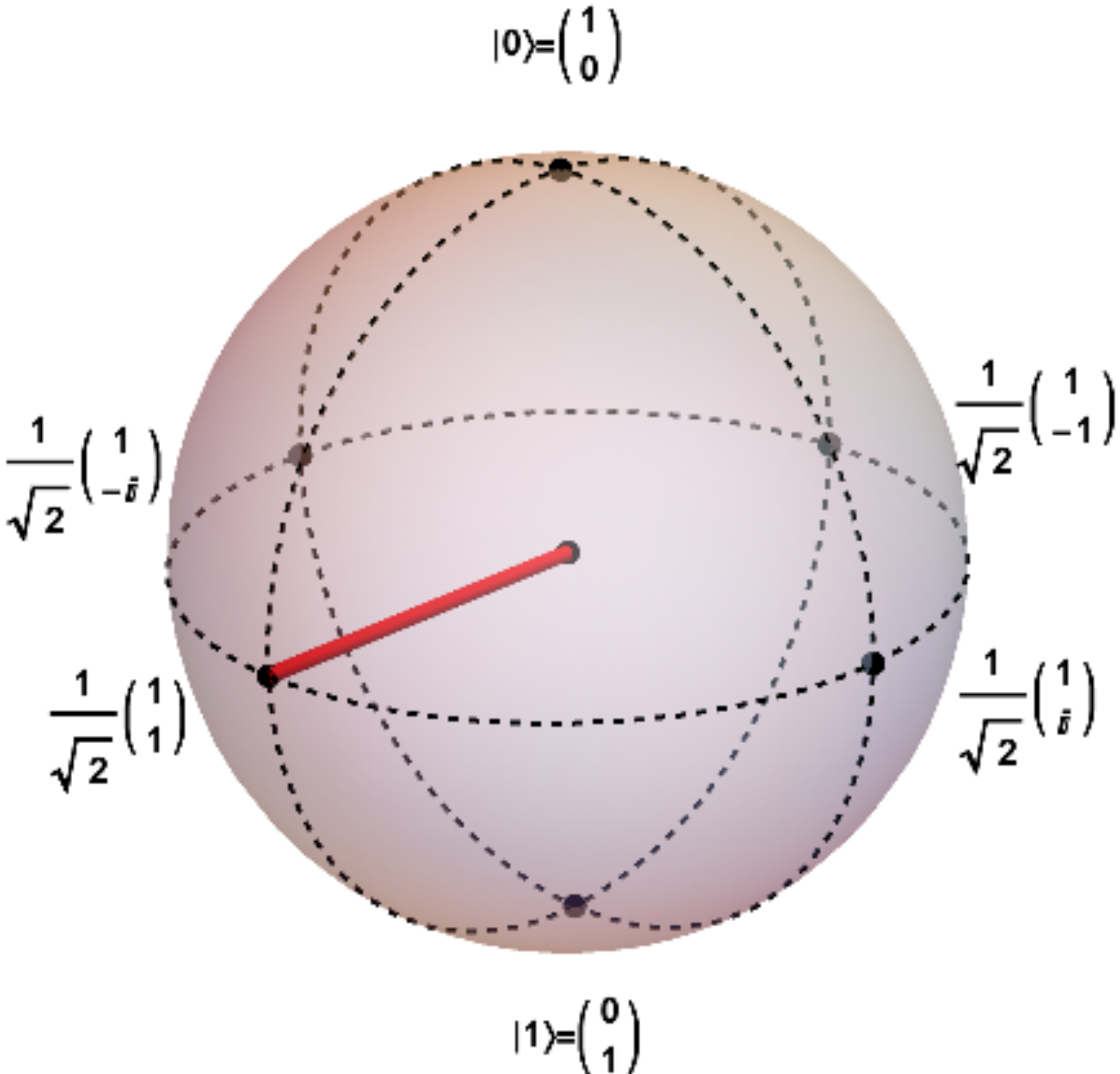
# Classical Computer - Classical Bit

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# Quantum Computer - Quantum Bit (Qubit)

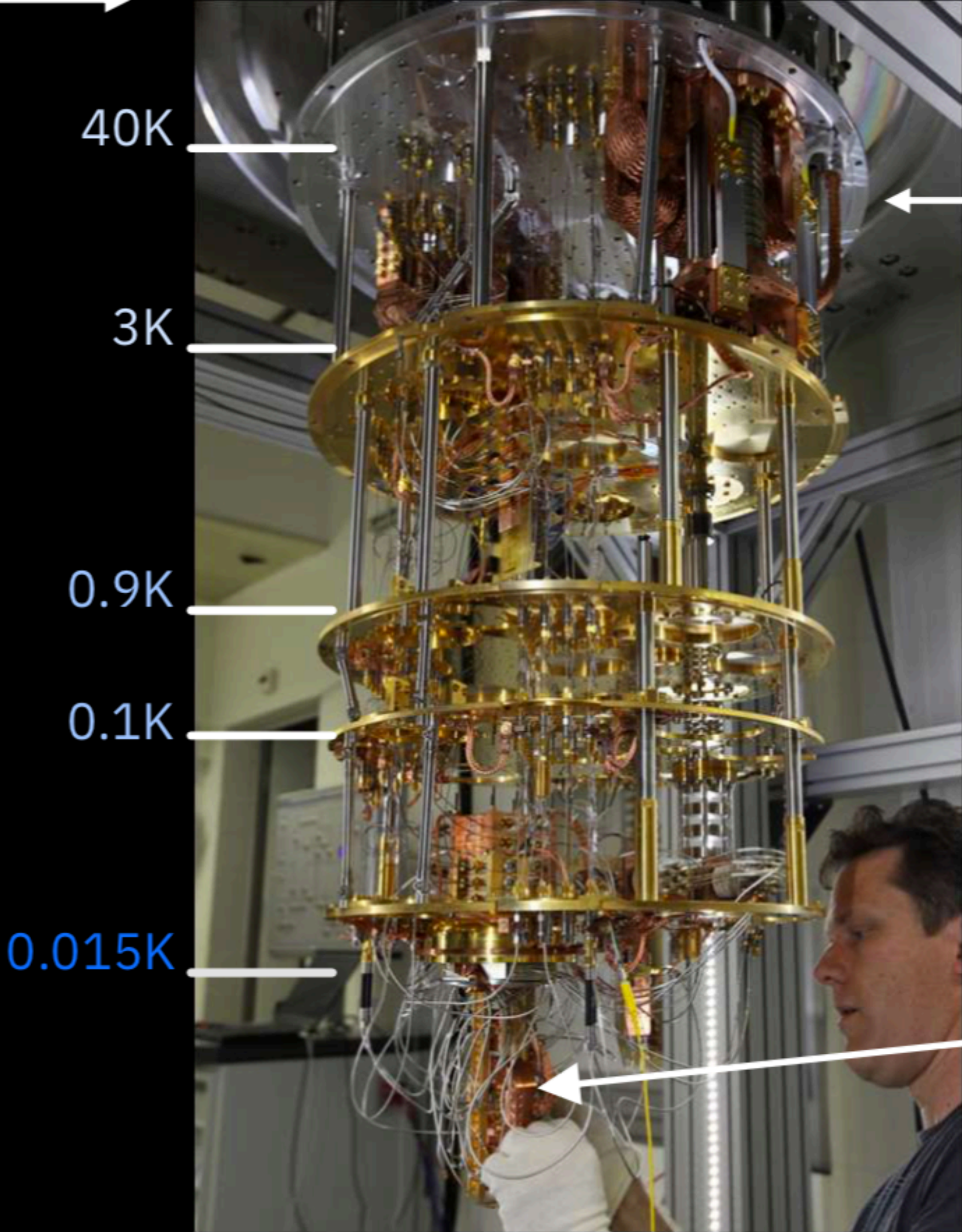
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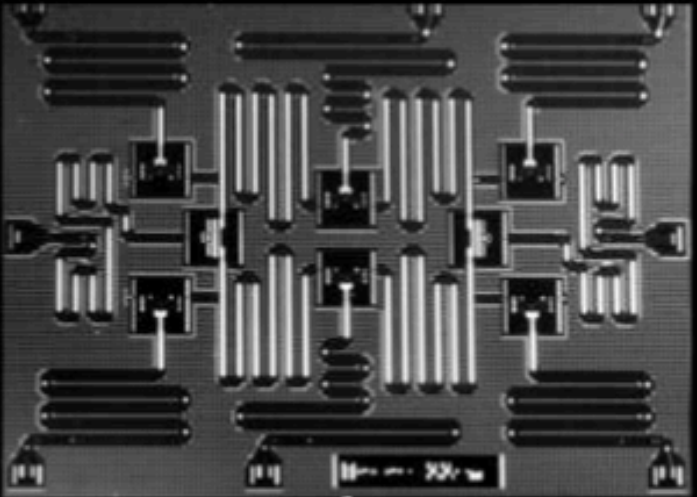
# IBM Q quantum computing systems

Microwave electronics

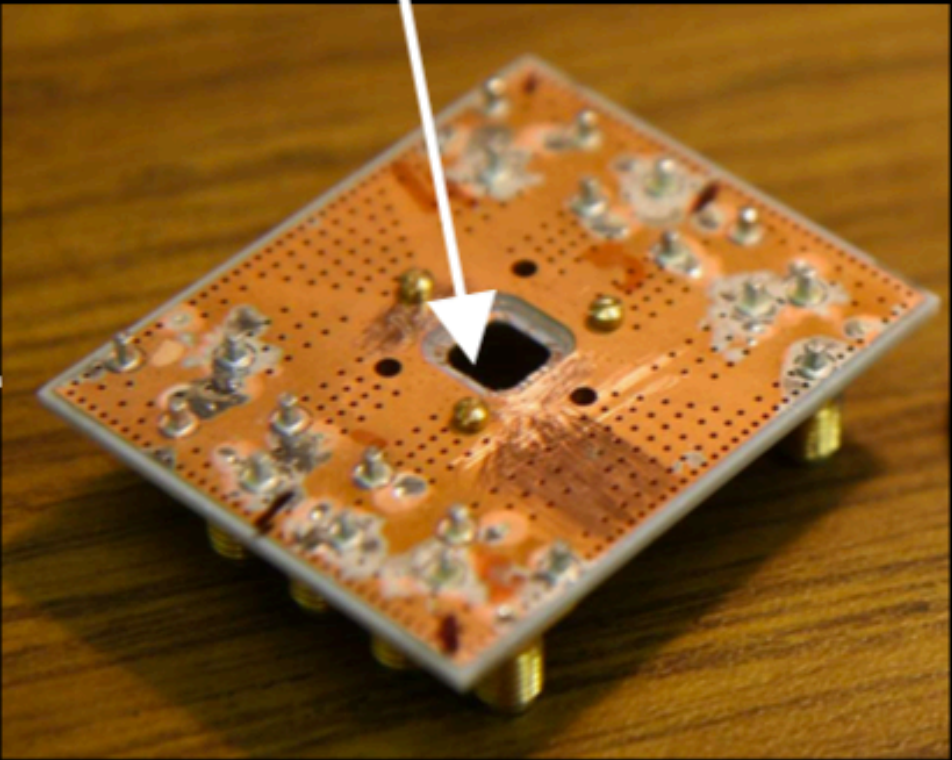


Refrigerator to cool qubits to 10 - 15 mK with a mixture of  $^3\text{He}$  and  $^4\text{He}$

8-qubit PCB



Chip with superconducting qubits and resonators

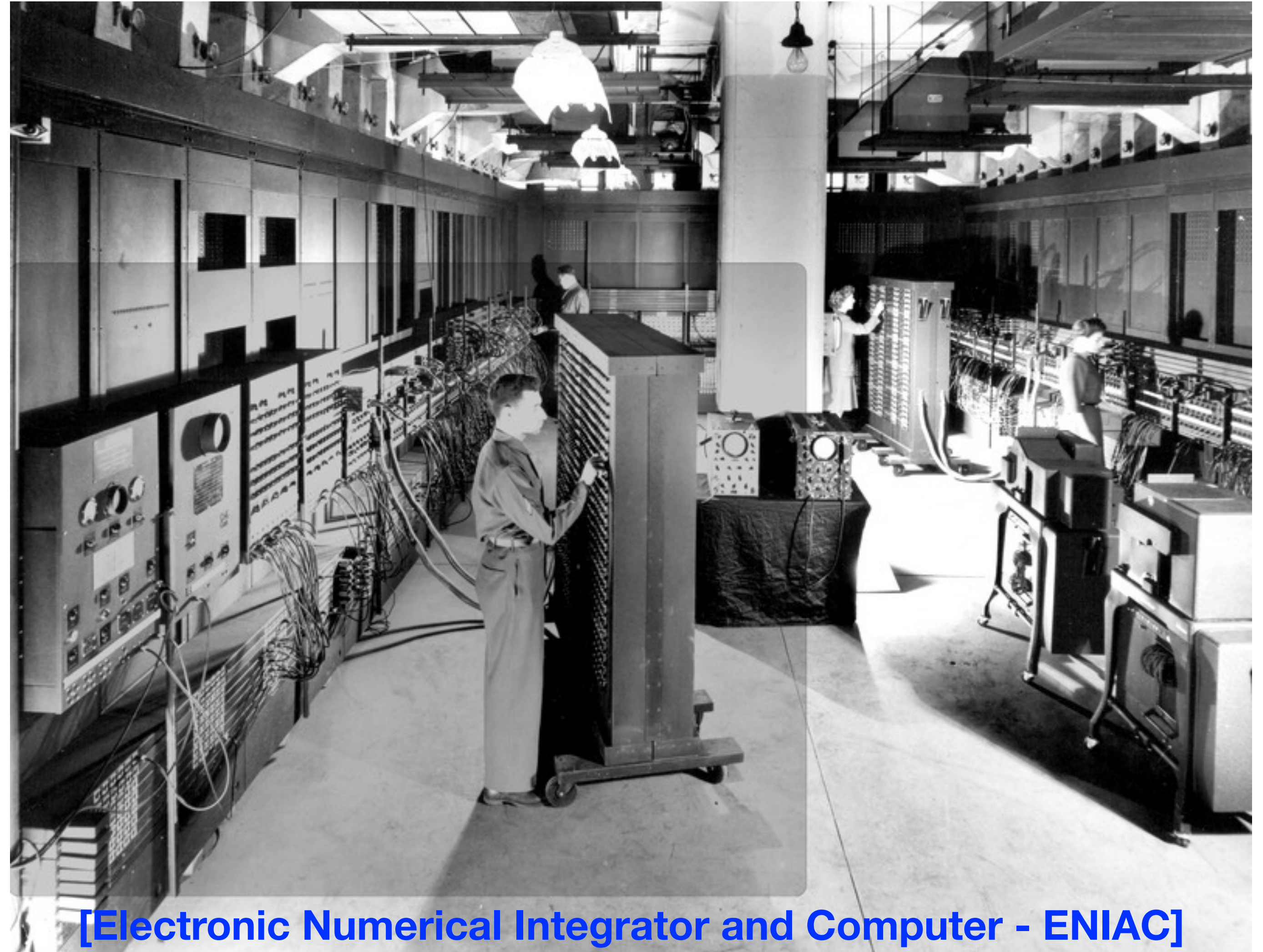


PCB with the qubit chip at 15 mK Protected from the environment by multiple shields



# Main Challenges for Quantum Computers Today

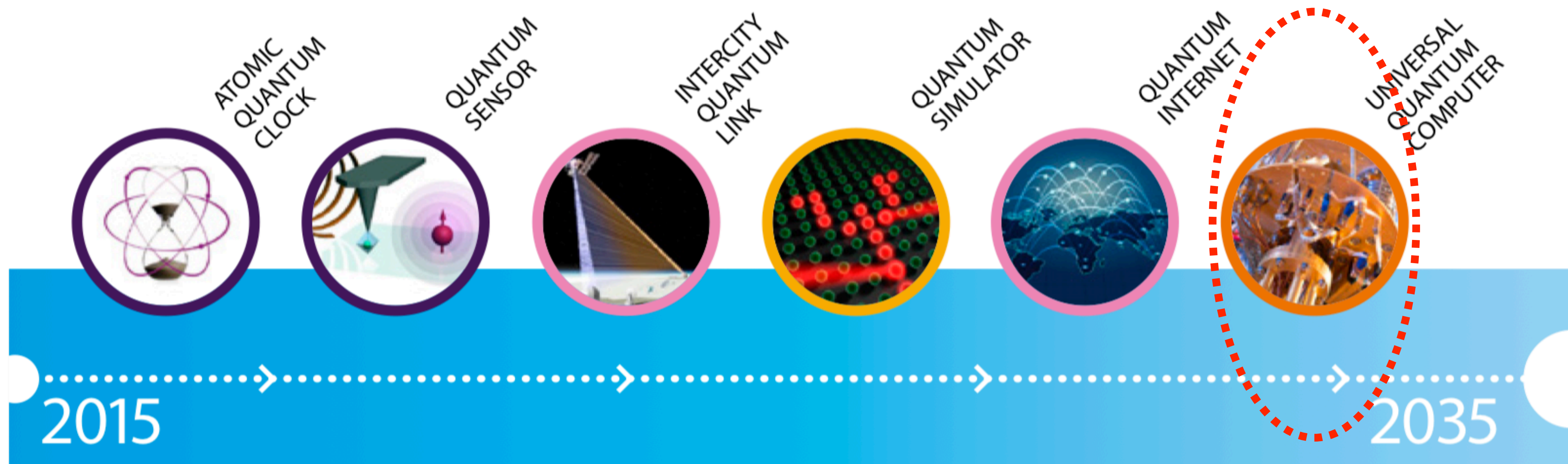
- We have a Noisy **Intermediate-Scale Quantum** (NISQ) technology
  - coherence time
  - scalability



[Electronic Numerical Integrator and Computer - ENIAC]

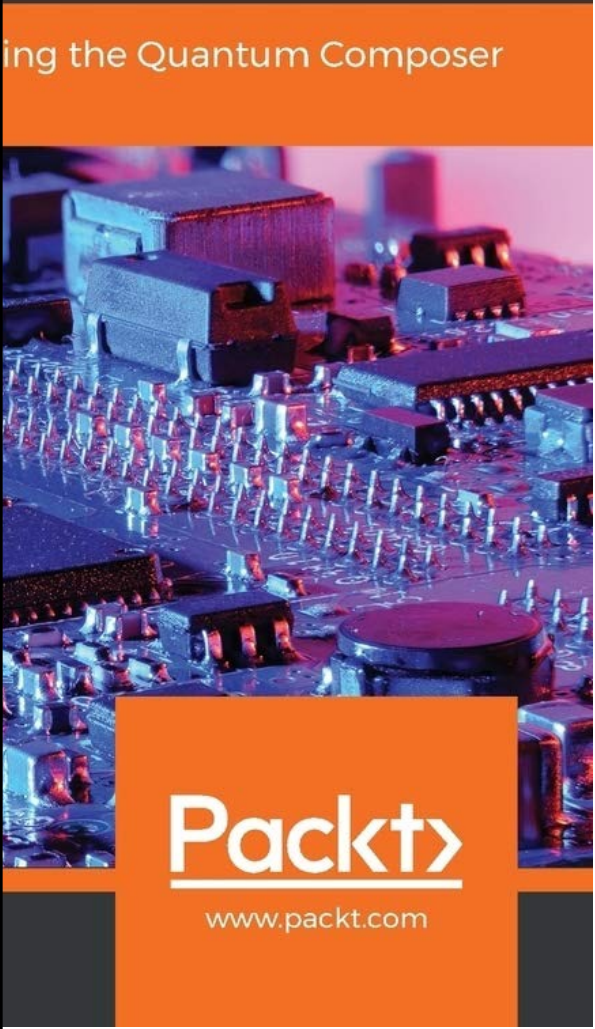
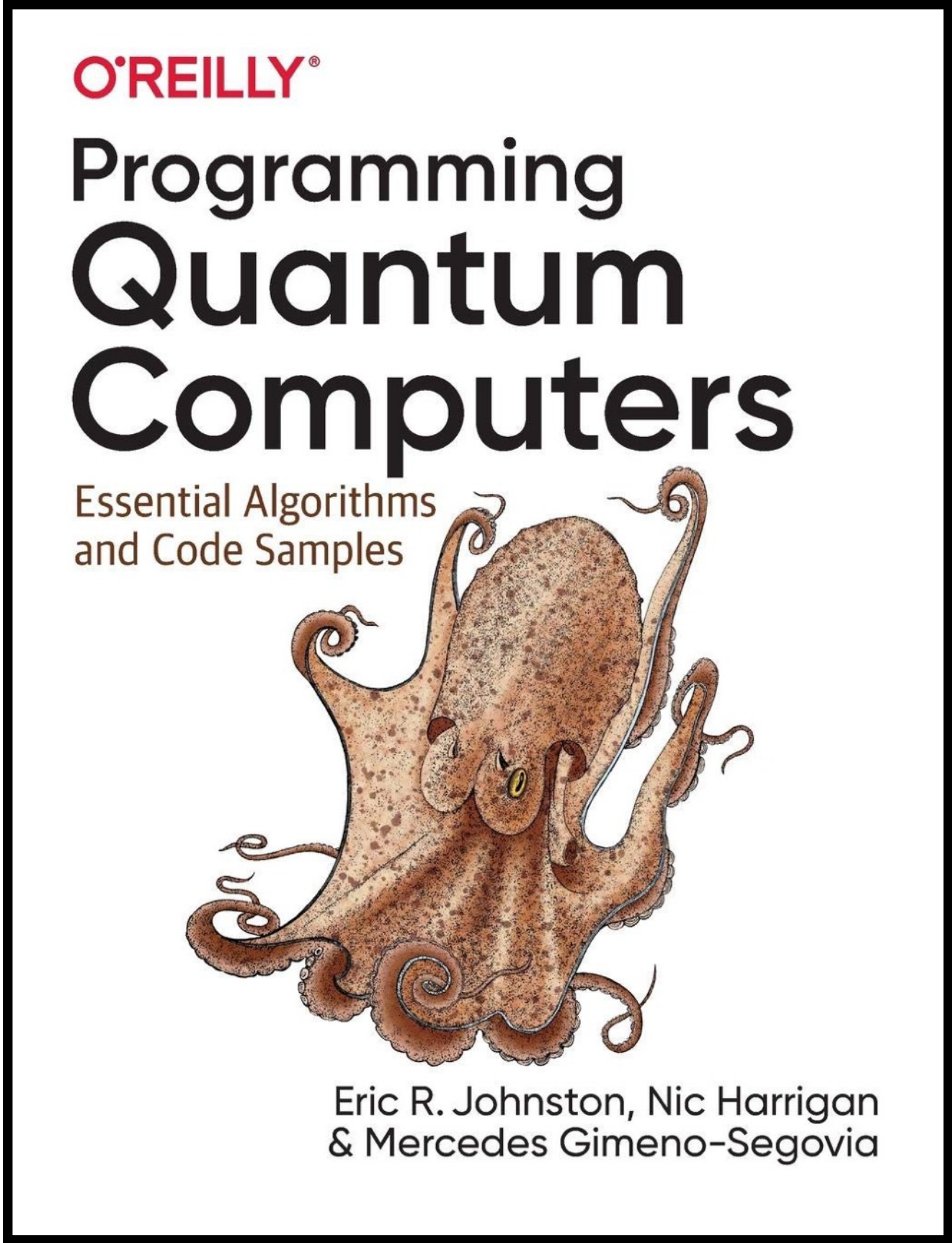
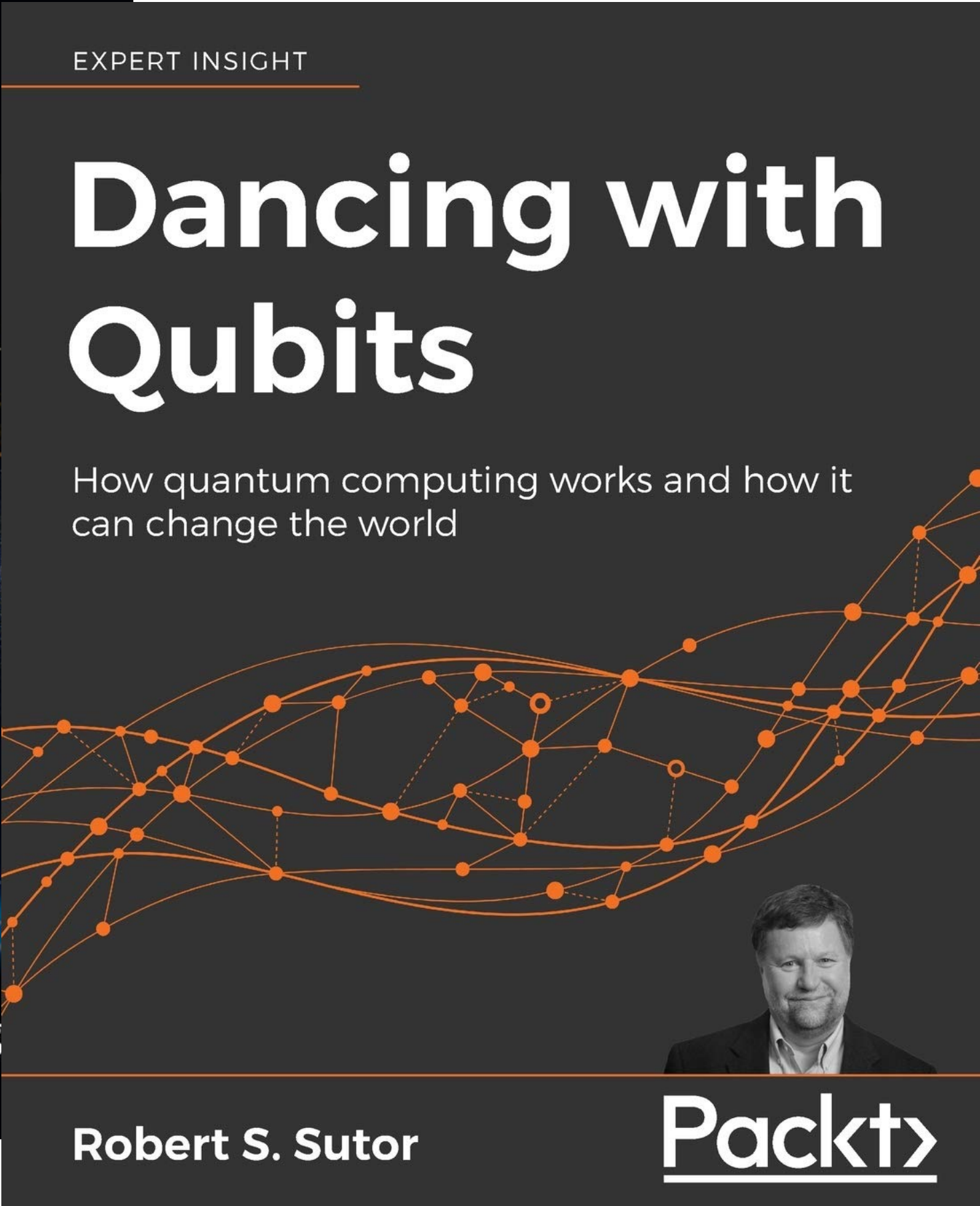
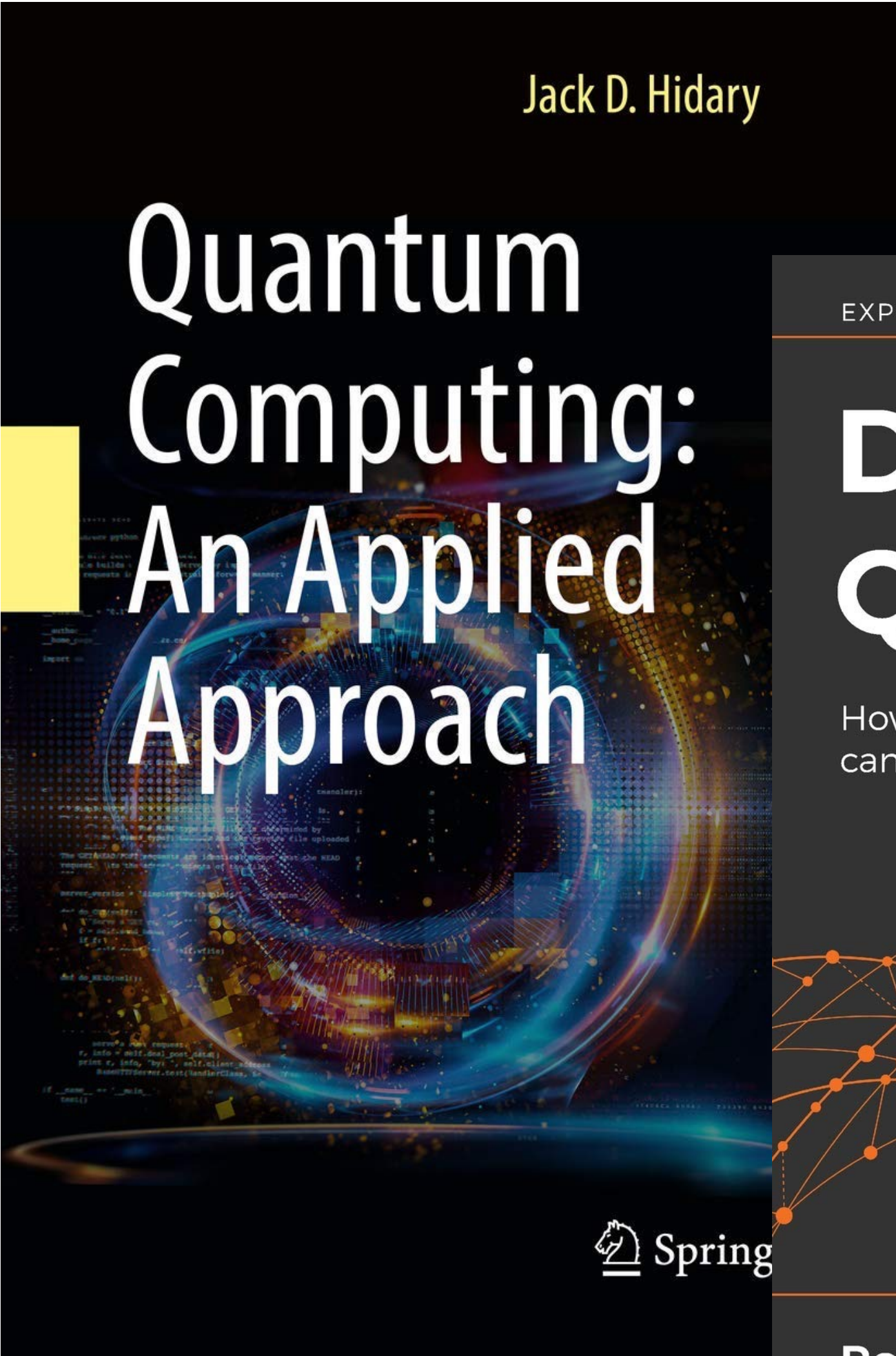


# Quantum Technologies Timeline





# Quantum Computers Going Practical





# Another Viewpoint

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**“I estimate a 1/7 chance of breaking RSA-2048 by 2026 and a 1/2 chance by 2031.”**

— Michele Mosca, November 2015



# Post-Quantum Cryptography - Or Making It Quantum Resistant

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—legend has it, this was the Schrödinger's cat planning its revenge



# Retroactive Cryptanalysis

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- Despite powerful quantum computers are not here, yet, we shall **react today to be safe when they come**
- **For encryption:** start using **post-quantum cryptography**
- **For signatures:** start using **LTV process**
- **For biometrics:** **stop blindly assuming** inherent non-invertibility of clients' templates



# Searching For the Right Problems (can be tricky... 😊)

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## VI. Public Key Cryptography

Almost all known public key cryptosystems (see Appendix VII) are mathematical in nature, depending on transformations that are difficult to invert in general. Some public researchers have asserted that the discipline called computational complexity (reference [111] contains a good introduction to complexity theory) is basic to the understanding of public key methods, and that NP-hard problems should be used as the basis for such systems. For instance, the general knapsack problem is known to be NP-complete (and therefore hard in general), and thus should lead to a good public key cryptosystem according to this philosophy.

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— Fifty Years of Mathematical Cryptanalysis (Fort Meade), Md. NSA, 1988



# Diffie-Hellman and Its Generalization

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$$(\alpha, g) \mapsto (g^\alpha \bmod p)$$

- This is the well-known cornerstone equation of the Diffie-Hellman protocol.
- In its direct interpretation, this is just **an exponentiation of integers modulo  $p$** , right?
- In general, we can recast this as **an action of the invertible integers modulo  $p-1$  on the set of integers modulo  $p$ , as well**. Still fine?

# Group Action in General

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$$G \times S \rightarrow S$$

$$(\alpha, s) \mapsto \alpha * s$$

$$e * s = s, (\alpha \cdot \beta) * s = \alpha * (\beta * s)$$

- Vectorization problem: Given  $s$  and  $\alpha * s$ , find  $\alpha$ .
- Parallelization problem: Given  $s$ ,  $\alpha * s$ , and  $\beta * s$ , find  $\alpha\beta * s$ .
- We want a **hard homogeneous space  $S$** .



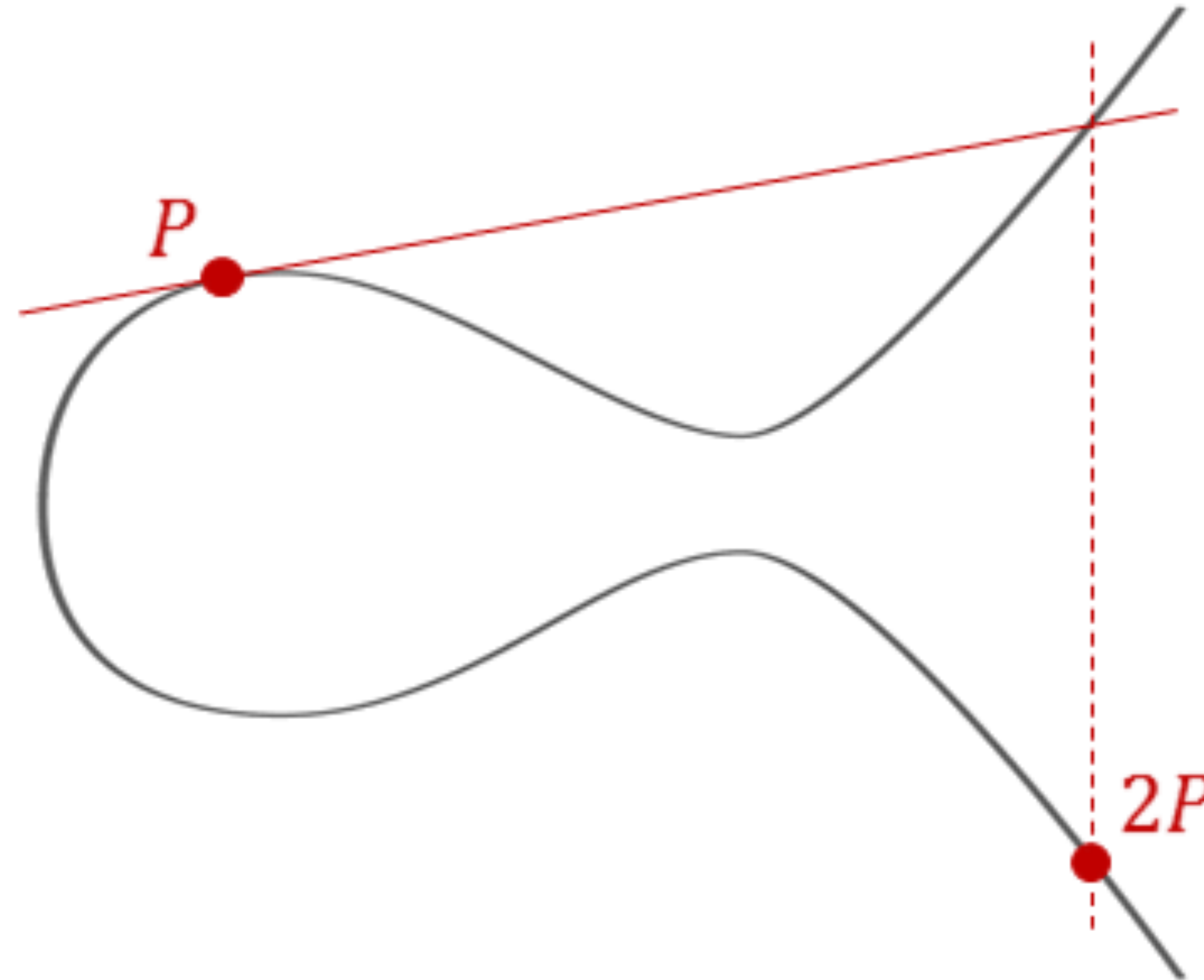
# In Search for the Action

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- Classical Diffie-Hellman:  $\mathbf{Z}_{p-1}^*$  acting on  $\mathbf{Z}_p^*$
- Elliptic curve DH (ECDH):  $\mathbf{Z}_n^*$  acting on a subgroup of  $E(\mathbf{F}_q)$  of order  $n$
- Isogeny DH by Couveignes and Rostovtsev and Stolbunov: class group  $C/(O)$  acting on a certain set of ordinary elliptic curves over  $\mathbf{F}_q$
- SIDH / SIKE: a very special algebraic action (not even an Abelian group action) on a certain set of supersingular elliptic curves over  $\mathbf{F}_{p^2}$
- CSIDH: a blend of the last two schemes, reintroducing the class group action for a supersingular setup

# Classical ECDH Group Action

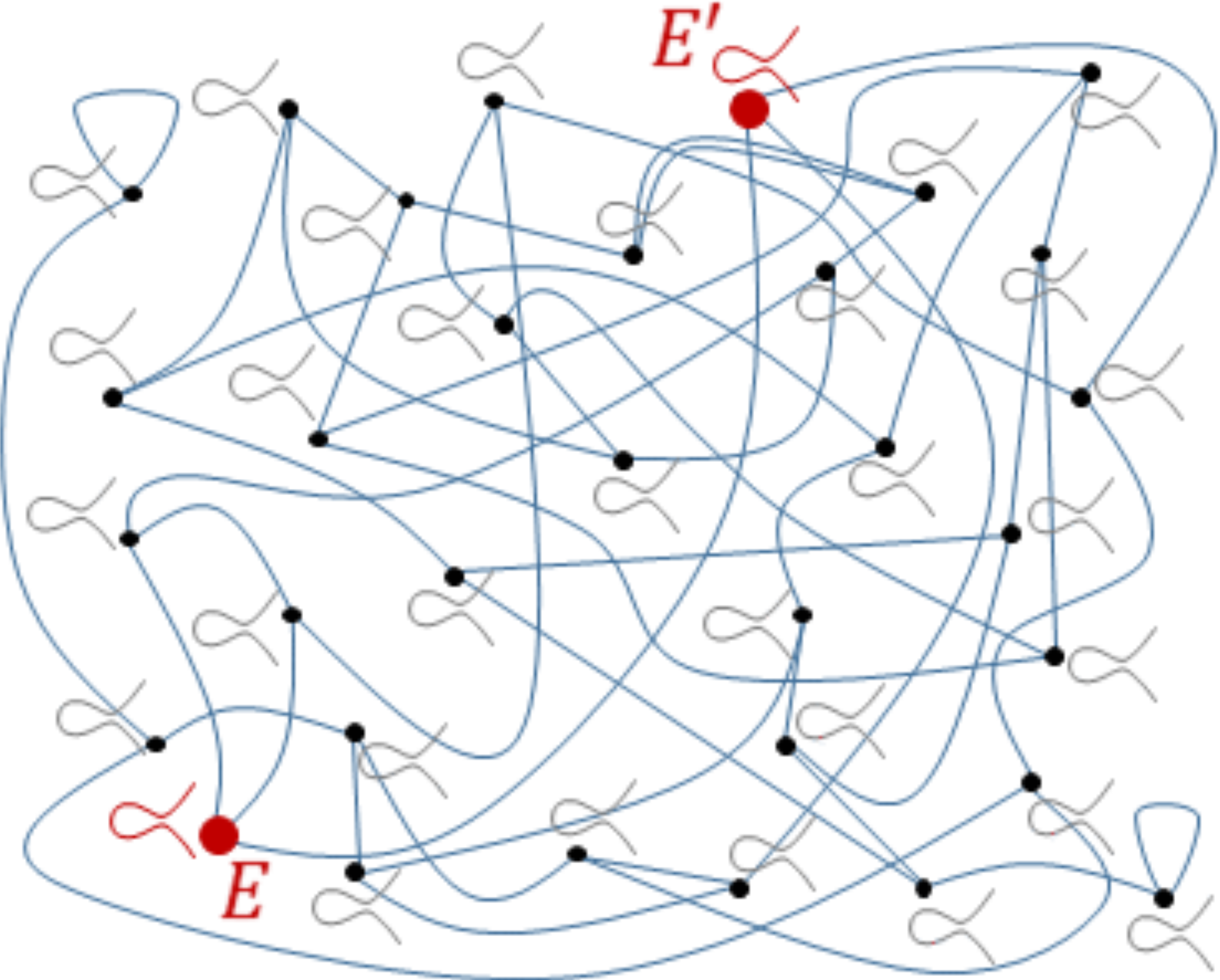
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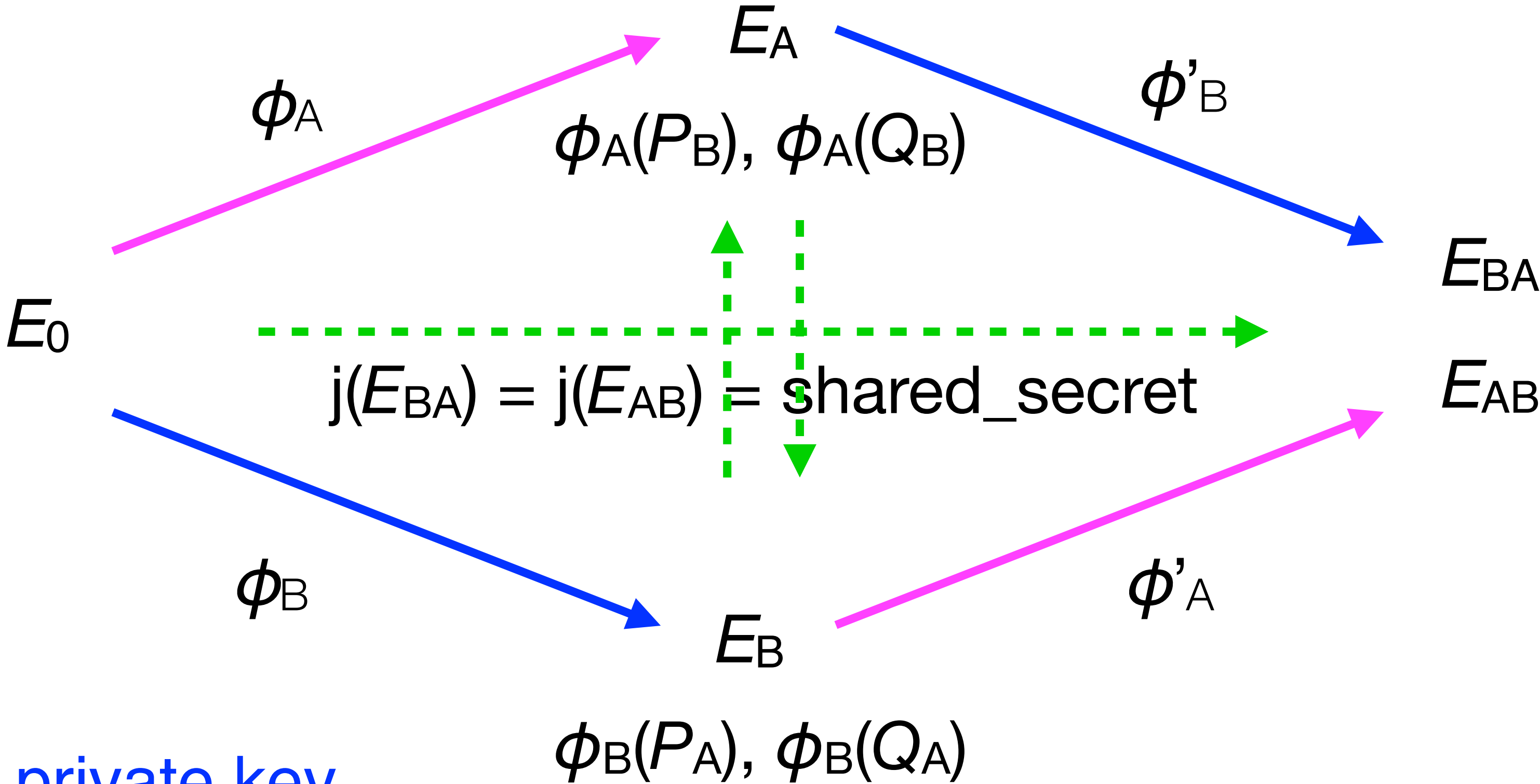
# Isogeny Graphs

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# Supersingular Isogeny-Based Diffie Hellman Protocol

$\ker(\phi_A) \sim$  Alice's private key



$\ker(\phi_B) \sim$  Bob's private key



# Making It Practical

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# SIKE for Java

Quantum Resistant Cryptography

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## Conclusion

- **Quantum computing is real**
  - **we are facing technological and technical issues, but not principal ones**
  - **we already went a similar way with all the classical computing machinery**
- **Retroactive cryptanalysis**
  - **the question of opening today's communication is not *if*, but *when***
- **Post-quantum readiness can be seen as a significant market differentiator**
  - **it will become necessity anyway, but the winner takes the applause**